## **Scope Inversion in Japanese:** *Contrastive Topics require Implicatures*

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# **Japanese Scope Inversion**

Japanese has a scope inversion phenomenon by Contrastive Topic (CTopic) marking that is similar to:

- the Korean Contrastive Topic marking (see Lee 2000)
- the Topic-Focus contour observed in German (see Büring 1997 among others)

## **Japanese Scope Inversion**

(1) a. sensei-ga minna-o shikara-nakat-ta teacher-Nom everyone-Acc scold-Neg-Past
' The teacher scolded no one.' (∀¬)
'it is not the case that the teacher scolded everyone.'(¬∀)

b. sensei-ga minna-wa shikara-nakat-ta teacher-Nom everyone-Top scold-Neg-Past
'it is not the case that the teacher scolded everyone.'
(¬∀ only)

#### Another observation of wa

#### Contrastive Topic induces implicatures.

- (2) a. Who came to the party?
  - b. JOHN-wa ki-ta John-CTop come-Past
    As for John, he came (Implicature: I don't know about others)
- (3) a. How many people came to the party?
  - b. 3-nin-wa kita 3-Class-CTop came
    - 3 people came
    - (Implicature: I don't know whether more than three came. (At least 3 people came.))

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# My claim

- The scope inversion is due to this property of CTopic: CTopic always induces implicatures.
- If a sentence contains a CTopic, only the reading that has implicatures can survive.
- (4) MINNA-wa ko-nakat-ta Everyone-CTop come-Neg-Past
- Two logical operators:
- Quantifier 'everyone' ∀ and Negation
- Two possible propositions

## Implicatures

 $\neg \forall$  reading: Not everyone came



## Implicatures

 $\forall \neg$  reading: No one came



## Implicatures

¬∀ reading: Not everyone came
→ Some people came
∀¬ reading: No one came

(no implicatures)
↔ Some people came (Contradicted)
↔ Most people didn't come (Entailed)

Contrastive Topic requires implicature  $\rightarrow$  Only  $\neg \forall$  reading can survive.

#### How do we compute Implicatures?

Büring 1997: Disputability German: Topic-Focus contour

(5) a. Alle Politiker sind nicht korrupt all politicians are not currupt
'No politician is corrupt.' (∀¬)
'Not all politicians are corrupt.' (¬∀)
b. /ALLE Politiker sind NICHT \ korrupt
'Not all politicians are corrupt.'
(¬∀ only)(Büring 1997)

#### **Ordinary Value and Focus Value**

The falling accent on the negation *nicht* generates a Focus value, which is a *yes-no* question (a set of propositions).

(6) /ALLE Politiker sind [NICHT\]<sub>F</sub> korrupt (7) a.  $[\neg\forall]^o = \neg$  all(politician)( $\lambda x$ .corrupt(x)) b.  $[\neg\forall]^f = \{ \_ all(politician)(\lambda x.corrupt(x)), all(politician)(\lambda x.corrupt(x)) \}$ 

# **Topic Value**

Further, the rising accent on *alle* 'all' generates a Topic value, which is a set of questions.

 $(8) \quad \llbracket \neg \forall \rrbracket^t$ 

a.  $[[not]_F [[all]_T politician [ [ corrupt ]]]]$ b.  $\{\neg all(politician)(\lambda x.corrupt(x)),$ all(politician)( $\lambda x$ .corrupt(x))},  $\{\neg \text{ most(politician)}(\lambda x.\text{corrupt}(x)),$  $most(politician)(\lambda x.corrupt(x))\},$  $\{\neg \text{ some}(\text{politician})(\lambda x.\text{corrupt}(x)),$ some(politician)( $\lambda x.corrupt(x)$ )},  $\{\neg \text{ one}(\text{politician})(\lambda x.\text{corrupt}(x)),$ **one**(politician)( $\lambda x$ .corrupt(x))}

# $\forall \neg$ reading

(9) /ALLE Politiker sind [NICHT\]<sub>F</sub> korrupt (10) a.  $[\forall \neg]^o = all(politician)(\lambda x. \neg corrupt(x))$ b.  $[\forall \neg]^f = \{all(politician)(\lambda x. \neg corrupt(x)), all(politician)(\lambda x. corrupt(x))\}$ 

# $\forall \neg$ reading

 $(11) \quad \text{we have } t$ a.  $[all_T politician [[not]_F [ corrupt ]]]$ b.  $\{\frac{al(politician)}{\lambda x. \neg corrupt(x)},$  $\frac{a!}{(politician)(\lambda x.corrupt(x))}$ },  $\{ \frac{\text{most}(\text{politician})(\lambda x. \neg \text{corrupt}(x))}{\lambda x. \neg \text{corrupt}(x)} \}$  $most(politician)(\lambda x.corrupt(x))\},$ {some(politician)( $\lambda x$ .¬corrupt(x)), some(politician)( $\lambda x.corrupt(x)$ )},  $\{ one(politician)(\lambda x. \neg corrupt(x)), \}$ **one**(politician)( $\lambda x$ .corrupt(x))}

# Disputability

Büring (1997) claims that a Topic-marked sentence seeks for disputable 'questions' in the Topic value.

 $\neg \forall$  Disputable:

Are there actually some corrupt politicians? or how many are not corrupt?

 $\forall \neg$  Not Disputable:

It is not true that some politicians are corrupt It is entailed that most politicians are such that they are not corrupt

# **Going back to Japanese**

sensei-ga minna-o shikara-nakat-ta (12)a. teacher-Nom everyone-Acc scold-Neg-Past ' as for everyone the teacher did not scold them.'  $(\forall \neg)$ 'it is not the case that the teacher scolded everyone.'  $(\neg \forall)$ // Stress // No S
sensei-ga MINNA-wa shikara-nakat-ta No Stress b. teacher-Nom Everyone-CTop scold-Neg-Past 'it is not the case that the teacher scolded everyone.'  $(\neg \forall \text{ only})$ 

# **Going back to Japanese**

- In German, the negation was marked by Focus accent, which generates the Focus value in Büring's term.
- In Japanese, it is not clear whether the negation is Focus-marked in the CTopic sentences.
- The negation morpheme *nakat* does not indicate any phonological nor morphological difference relative to non-CTopic counterpart.

# **Presupposition Failure**

- I employ the mechanism developed by Sauerland (2001) to compute implicatures.
- I propose that if a sentence contains a CTopic, it presupposes a particular subset of scalar alternatives.
- Sauerland (2001) states that a scalar alternative becomes an implicature 'only if the scalar alternative is stronger than the assertion.'
- In our case, since CTopic-marked sentences always induce implicatures, they must have a scalar alternative stronger than the assertion in order to be interpreted properly.

# Presupposition

- (13) CONTRASTIVE( $\langle B, T \rangle$ )  $\exists T'[T' \in ALT_C(T) \& B(T') \text{ entails } B(T) \& B(T) \text{ doesn't entail } B(T')] (presupposition)$
- (14) a. MINNA-wa ko-nakat-ta Everyone-CTop come-Neg-Past
  - b. It is not the case that all the people came.(available reading)
  - c. All the people are such that they didn't come. (unavailable reading)
- (15)  $B = \lambda \wp \in D_{\langle e,t \rangle,t \rangle} \neg \wp(\lambda y.\operatorname{come}(y))$
- (16)  $T = \lambda P. \forall x [person(x)] [P(x)]$
- (17)  $T' = \lambda P.some(x)[person(x)][P(x)]$

### $\neg \forall$ : **Presupposition**

- (18) CONTRASTIVE( $\langle B, T \rangle$ )  $\exists T'[T' \in ALT_C(T) \& B(T') \text{ entails } B(T) \& B(T) \text{ doesn't entail } B(T')] (presupposition)$
- (19)  $\neg \forall x [[person(x)][come(x)]]$  (=B(T))
  - a. scalar alternative:
    - $\neg$ some(x)[[person(x)][came(x)]](=B(T'))
  - b. B(T') entails B(T)
  - c. B(T) doesn't entail B(T')

#### $\neg \forall$ : C-Topic Induces Implicatures CONTRASTIVE( $\langle B, T \rangle$ ) $\Leftrightarrow$ (20)a. B(T) (assertion) b. $\forall$ T'[T' $\in$ ALT<sub>C</sub>(T) & B(T') entails B(T) & B(T) doesn't entail B(T')] $\rightarrow Poss(\neg B(T'))]$ (implicature) a. $\neg \forall x [person(x)][come(x)]]$ (21)b. Implicature: Poss some(x)[[person(x)][came(x)]]) $(= \neg B(T'))$

### $\forall \neg$ : Presupposition Failure

(22)  $\forall x [[person(x)] [\neg come(x)]]$ 

- a. scalar alternative:
  some(x)[[person(x)][¬came(x)]]
  (=B(T'))
- b. B(T') doesn't entail B(T)
- c. B(T) entails B(T')

We get the same results for:

- $few(x)[[person(x)] [\neg came(x)]]$
- $most(x)[[person(x)][\neg came(x)]]$
- more-than-half(x)[[person(x)][ $\neg$ came(x)]]

(=B(T))

### **C-Topic Requires Implicatures**

- None of its scalar alternatives entails ∀x[[person(x)][¬came(x)]]
- $\nexists$  T'[T' $\in$ ALT<sub>C</sub>(T) & B(T') entails B(T) & B(T) doesn't entail B(T')]
- ∀¬ causes Presupposition Failure
- Only ¬∀ meets the presupposition and has an implicature.
- Only  $\neg \forall$  is the available reading.

Disambiguation by CTopic:

• Filtering out the propositions that do not induce implicatures.

# **Further Data 1: Affirmatives**

(23) # Minna-wa kita. Everyone-CTop came

- Only one logical operator: only one possible reading
- $\forall x [[person(x)][came(x)]]$
- none of its scalar alternatives entails it
- some(x)[[person(x)][come(x)]], most(x)[[person(x)][come(x)]], few(x)[[person(x)][come(x)]]
- the proposition causes presupposition failure
- This proposition is not compatible with the CTopic marker

# Further Data 2: 'Many'

- Two types of 'many': *takusan* (cardinal) and *ooku* (proportional)
- *takusan* behaves just like *minna* everyone.
- (24) TAKUSAN-no-hito-wa ko-nakat-ta Many-people-CTop come-Neg-Past
  'It is not the case that many people came.' (¬many only)
- (25) # Takusan-no-hito-wa ki-ta. Many-people-CTop come-Past'Many people came'

## Further Data 2: 'Many'

ooku behaves differently.

(26) OOKU-no-hito-wa ko-nakat-ta Many of the people are such that they didn't come. (many¬) It is not the case that many of the people came. (¬many)

(27) Ooku-no-hito-wa ki-ta. Many-people-CTop come-Past'Many of the people came'

# Takusan: Cardinal 'Many'

affirmative semantically infelicitous with CTopic

- one < some < takusan
- ∀x[[person(x)][came(x)] does not entail takusan(x)[[person(x)][came(x)]]
- 'some', 'one', etc do not entail it either
- hence Presupposition Failure

# **Ooku:** Proportional 'Many'

affirmative semantically felicitous with CTopic

- one < some < ooku < all
- ∀x[[person(x)][came(x)]] does entail ooku(x)[[person(x)][came(x)]]
- Implicature:  $Poss(\neg \forall x [[person(x)][came(x)]])$

# Summary

- The scope disambiguation by CTopic is the result of filtering out the propositions that do not induce implicatures.
- Büring (1997) defines implicatures in terms of Disputability:
  - A Topic-marked sentence seeks for a disputable question in a set of yes-no questions (Topic value) which is generated by Topic accent on *alle* 'all'. The Topic value is generated based on the Focus value which is in turn generated by Focus accent on the negation.
- In Japanese, it is not clear whether the negation is in Focus or not.

# Summary

- With Sauerland's (2001) mechanism, we can capture the same intuition as Büring (1997) observed without assuming that the negation is in Focus.
- CTopic presupposes a scalar alternative that is stronger than the original proposition.
- If the proposition fails to have a stronger scalar alternative, it causes a presupposition failure, therefore that reading disappears.
- The explanation for the scope disambiguation can further account for the infelicity of the CTopic-marked universal quantifier in affirmative context and the difference between two 'many's in Japanese.

### References

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